

# 1 “Exact” method to calculate clade-level significance

2 As discussed in the text, we suggest the most useful method of test for clade-level significance  
3 is through null permutation. It is possible, however, to calculate an exact  $p$ -value for a clade’s  
4 variance. This is by testing whether there has been a significant change in the variance of that  
5 clade’s composition given the variances of the species that constitute it. The confidence interval  
6 for a variance is well-known, and for a normal distribution it is defined as  $\pm \frac{(n-1)^2 s^2}{\chi_\alpha^2}$ , where  $n$  is the  
7 sample size,  $s^2$  the variance, and  $\chi_\alpha^2$  the appropriate  $\alpha$  quantile of the  $\chi^2$  distribution for  $n-1$  degrees  
8 of freedom. There is statistical evidence for a clade having higher or lower variance (phylogenetic  
9 clustering and overdispersion respectively) than expected if the sum of the variances of a clade’s  
10 constituent species falls outside this confidence interval.

## 11 2 Permutation tests of evolutionary model fitting

12 To test our evolutionary model-fitting, we permuted species’ body mass values and, 100 times,  
13 fitted the same Brownian and OU-models to the permuted data. This procedure is extremely  
14 computationally intensive, and not strictly necessary as these methods have already been extensively  
15 explored (Beaulieu *et al.* 2012), hence we performed only 100 replicate tests. By comparing the  
16 support for each model-type in the null permutations with our observed results, we can assess  
17 whether our phylogenetic data or modelling approach may be biased towards supporting certain  
18 evolutionary hypotheses. The model that best fitted the empirical data (a three-rate Brownian  
19 motion model) had, on average, a  $\delta AIC$  of 273.92 (table 1), and the best-supported model in the  
20 null permutations (an OU-model with a mean  $\delta AIC$  of 0.51; table 1) contained no across-clade  
21 variation. Thus there is strong support for variation in the rate of body mass evolution in the  
22 squirrel and cavi clades identified using independent ecological information. Note that two of the  
23 model-types failed to converge on the permuted data (table 1); for our purposes we consider a failure  
24 to converge an indication of poor model fit.

$\theta_0$	$\theta_c$	$\theta_s$	$\sigma_0$	$\sigma_c$	$\sigma_s$	$\alpha_0$	$\alpha_c$	$\alpha_s$	$\widehat{\delta AIC} \pm SE$
—	—	—	✓	✓	✓	—	—	—	$273.92 \pm 6.56$
✓	✓	✓	✓	✓	✓	✓			$3.81 \pm 0.24$
✓	✓	✓	✓			✓	✓	✓	n/a
✓	✓	✓	✓	✓	✓	✓	✓	✓	n/a
—	—	—	✓			—	—	—	$282.72 \pm 6.87$
✓			✓			✓			$0.51 \pm 0.12$
✓	✓	✓	✓			✓			$2.27 \pm 0.15$

Table 1: **Null results of log(body mass) evolutionary modelling.** Results of 100 models fit to the same phylogenetic and clade data, but permuted trait (body mass) data, as the observed evolutionary models (table 2). Each row represents a different model; ‘—’ is used to indicate when a parameter is not fit in a model. Rows one and four represent Brownian motion (they have  $\sigma$  ‘rate’ parameters only), and all other rows are variants of Ornstein-Uhlenbeck models [with at least one optimum and rate of return to that optimum,  $\theta$  and  $\alpha$  respectively]. In subscripts of parameters, ‘c’ refers to the ‘capi’ clade, ‘s’ to the ‘squirrel’ clade, and ‘0’ to the remainder of the phylogeny. Thus the presentation is the same as in table 2, with two exceptions. First, no parameter estimates are given (they are uninformative, as the models were fit to permuted data), and instead a ‘✓’ indicates when a parameter was fit. Secondly,  $\delta AIC$  and its standard error across the 100 bootstrap models is reported. As described in the text, two model-types could not be successfully fit to the data and have ‘n/a’ estimates of  $\delta AIC$ . These show that, by chance, we would expect only very weak support for the most-supported model in our analysis of the observed data (compare the first rows of this and table 2).

## <sup>25</sup> Bibliography

- <sup>26</sup> Beaulieu, Jeremy M *et al.* (2012). Modeling stabilizing selection: expanding the Ornstein–Uhlenbeck  
<sup>27</sup> model of adaptive evolution. *Evolution* 66 (8), 2369–2383.